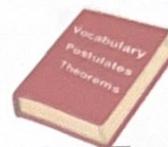




Term	Definition	Notation	Diagram/Visual
Ratio	A ratio shows the relative sizes of two or more values	If there is 1 boy and 3 girls	1:3 1/4 are boys 3/4 are girls
Proportion	Proportion says that two ratios (or fractions) are equal.		$\frac{1}{3} = \frac{2}{6}$
Scale	The ratio of the length in a drawing to the length on the real thing	1:1:1 150 → 1500	Chair 150 lbs
Dimensional Analysis	Analysis using the fact that physical quantities added to or equated with each other must be expressed in terms of the same fundamental quantities for inferences to be made about relations between them	Years → seconds mi/hr → m/s kg/m ³ → g/mL in ² → ft ²	If 2 red = 1 blue 4 red is... $\frac{4 \text{ red}}{1} \cdot \frac{1 \text{ blue}}{2 \text{ red}} = 2 \text{ blue}$
Expression	Numbers, symbols and operators grouped together that show the value of something.	2 + 3 is an expression no equal signs	$\begin{matrix} + & - \\ \div & \times \end{matrix}$
Term	In algebra a term is either a single number or variable, or numbers and variable multiplied together	$7x$ x $-2x$	xy^2
Coefficient	A number used to multiply a variable. Variables with no number have a coefficient of 1.	6z means 6 times z → X is really 1x	
Factor	Numbers we can multiply together to get another number	$2 \times 3 = 6$ Factor Factor	 1, 2, 3, 4, 6 and 12 are all factors of 12



monomial	A polynomial with just <u>one</u> term	Example = $3x^2$ <u>one term</u>
polynomial	A polynomial can have constants, variables and exponents, that can be combined using addition, subtraction, multiplication and division.	$4xy + 3x - 8$
Distributive property	Multiplying the sum of two or more addends by a number produces the same result as when each addend is multiplied individually by the number and the products are added together.	$(20 - 5) \cdot 3 = 15 \cdot 3 = 45$
Closure Property	Any two rational numbers product will be a rational number	
square	A flat shape with four edges with right angles 90°	
Square root	A square root of a number is that a value that when multiplied by itself, gives the number	$4 \sqrt{\square} \quad 4 \times 4 = 16$
Rational numbers	A rational number can be made by dividing an integer by an integer	$1.5 = \frac{3}{2}$ ratio $\frac{1}{3} = .33333$
Irrational numbers	An irrational number is a real number that cannot be written as a simple fraction	$\frac{22}{7}$ π is a irrational $\frac{1}{3}$
Product Property of Radicals	The square root of a product is equal to the product of the square roots of each of the factors	$\sqrt{ab} = \sqrt{a} \cdot \sqrt{b} \quad a, b \geq 0$



Quotient
Property of
Radicals

The square root of a
quotient is equal to the
quotient of the square roots
of the dividend and divisor

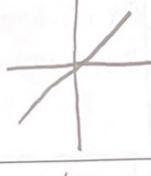
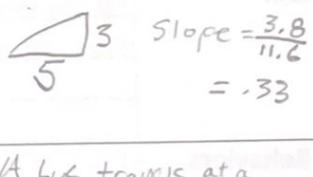
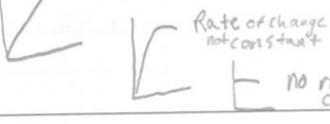
$$\sqrt{\frac{A}{b}} = \frac{\sqrt{A}}{\sqrt{b}}$$



Term	Definition	Notation	Diagram/Visual
Equation	A statement that the values of math expressions are equal	$7+2 = 10-1$ $11 = 11$ (circled) $11 = 11$	$1+1=2$
Commutative Property	The order in which we multiply numbers does not change the product	$A+b=b+a$ $xy=yx$	$A+b=b+A$ Add = doesn't change = multiplication
Associative Property	A math rule that says that the way in which factors are grouped in a multiplication problem does not change the product	$(A \times B) \times C = A \times (B \times C)$ $(A+B)+C = A+(B+C)$	$200+000 = 000+00+2$ $2 \quad 3 \quad 3 \quad 2 \quad 00$
Distributive Property	Multiplying the sum of two or more addends by a number produces the same result as when each addend is multiplied individually by the number and the products are added together	Multiplying outside number with the ones in the parenthesis	$3x+5 = 3x+15$ $4(8+3)$ $4 \cdot 8 = 32$ $4 \cdot 3 = 12$ 44
Addition Property of Equality	If two expressions are equal to each other, and you add the same value to both sides of the equation, the equation will remain equal.	Whatever is added to one side of the equation must be added to the other side	For any numbers $a, b,$ and c if $a=b$ then $a+c = b+c$
Subtraction Property of Equality	An equal value subtracted or removed from two equal items will result in a new equal amount	$A=b$ $a-c = b-c$ Whatever is subtracted from one side = other side too	$y+9 = 45$ $-9 \quad -9$ $y = 36$
Multiplication Property of Equality	When we multiply both sides of an equation by the same number, the two sides remain equal	$A=b$ $a = (3) * b$ $3a = 3b$	If $x=y$ then $x \times z = y \times z$
Division Property of Equality	If both sides of an equation are divided by a common real number that is not equal to 0, the equations remain equal	each sides remain the same	If $x=y$ then $x \div z = y \div z$

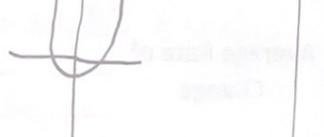
Algebra.U2.C1.Lesson.A Solving and Justifying Equations
 A1.U2.A.01.Unit Vocabulary



symmetric Property	If $A=b$, then $b=a$, states that the values on either side of the equals sign are equal	$A=b \quad b=a$ can be interchanged	
Substitution Property	One value can replace another value in an expression or equation and the value will remain the same	$2x + 7y =$	Substituting is basically switching out
Inequality	An inequality compares two values, showing if one is less than, greater than, or simply not equal to another value	$A \neq b$ $A < b \quad A \geq b$ $A > b \quad b \leq A$	greater or less symbols
Solution Set	The set of all the solutions of an equation or condition	$y = 2x - 2$ $(0, -2), (3, 4), (-3, -8), (2, 2)$	A set that has the solution to come up with an already answer
Literal Equation	An equation which consists primarily of letters	Solve for p Solve for y	$p + z = x$ $xy = r$
Linear Function	those whose graph is a straight line		Straight lines which are measured
Slope	How steep a line is also called "gradient"	$3/5 = .6$	
Average Rate of Change	A measure of how much the function changes per unit, on average, over that interval	$A(x) = \frac{f(b) - f(a)}{b - a}$	A bus travels at a speed of 80 km per hour
Constant Rate of Change	when the ratio of the output to the input stays the same at any given point on the function	known as a slope	



Algebra.U2.C1.Lesson.A Solving and Justifying Equations
A1.U2.A.01. Unit Vocabulary

<p>Ordered Pairs</p>	<p>Two numbers written in a certain order</p>	<p>(12, 5)</p>	<p>12 units along 5 units up</p>
<p>X-Intercept</p>	<p>The X-coordinate of a point where a line, curve, or surface intersects the X-axis</p>		<p>The point where a line crosses the X axis</p>
<p>Y-Intercept</p>	<p>The point where the graph intersects the y-axis</p>		<p>one line on the X, and y</p>
<p>Arithmetic Sequence</p>	<p>A list of numbers with a definite pattern</p>	<p>a_n = the nth term in the sequence a_1 = the first term in the sequence d = the common difference between terms</p>	<p>5 · 9 · 13 · 17 +4 +4 +4 2 · 4 · 8 · 16 · 32 x2 x2 x2 x2</p>
<p>Continuous</p>	<p>A function such that a continuous variation (that is a change without jump) of the argument induces a continuous variation of the value of the function</p>	<p>No gaps, just continuous curve</p>	
<p>Discrete</p>	<p>The study of math, dealing with objects that can assume only distinct, separated values.</p>	<p>EX: 6 boys EX: ●●●5</p>	<p>Dots</p>
<p>Domain</p>	<p>All the values go to that function</p>		<p>area at the bottom of a graph</p>
<p>End Behaviors</p>	<p>How the function behaves when the variable x increases or decreases without bound</p>		
<p>Explicit Formula</p>	<p>It calculates the nth term in a sequence</p>	<p>2, 4, 6, 8, 10, 12 $\rightarrow a_n = 2n$ 1, 3, 5, 7, ... $\rightarrow a_n = 2n - 1$ 2, 6, 18, 54, ... $a_n = 2 \cdot 3^{n-1}$</p>	<p>It represents all the terms in a equation</p>

Algebra.U2.C1.Lesson.A Solving and Justifying Equations
A1.U2.A.01.Unit Vocabulary



Interval Notation	A Method to represent an interval on a number line		A real number line A to b From one point to another
Linear Model	An equation that describes a relationship between two quantities that show a constant rate of change		Strait line
Parameter	A value that is more "built in" to a function. It is similar to a variable, but stays fixed while we use the function	$h(\text{year}) = 20 \times \text{year}$ <p>argument: year function: h(year) variable: year parameter: 20</p>	
Range	The difference between the lowest and highest values		Range can also mean all the output values of a function
Recursive Formula	A function that repeats or uses its own previous term to calculate subsequent terms and this forms a sequence of terms	$A_{n+1} = 3a_n + 2 \quad a_1 = 1$ $A_2 = 3a_1 + 2 = 5$ $A_3 = 3a_2 + 2 = 17$ $a_4 = 3a_3 + 2 = 53$	Repeating formula
Substitution	Putting numbers where letters are	$x - 2$ $x = 6$ $6 - 2 = 4$	Replacing letters for #s