

MULTIPLE CHOICE. Choose the one alternative that best completes the statement or answers the question.

Find the relative extrema of the function, if they exist.

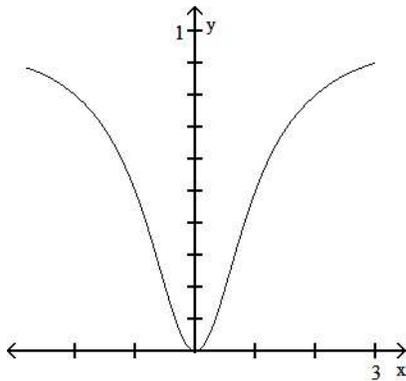
- 1) $f(x) = x^3 - 12x - 4$ 1) **D**
 A) Relative maximum at (5, 61); relative minimum at (2, -20)
 B) Relative maximum at (5, 61); relative minimum at (-3, 5)
 C) Relative minimum at (-2, 12); relative maximum at (2, -20)
 D) Relative maximum at (-2, 12); relative minimum at (2, -20)

Find the absolute maximum and absolute minimum values of the function, if they exist, over the indicated interval. When no interval is specified, use the real line $(-\infty, \infty)$.

- 2) $f(x) = x^3 - 9x^2 + 4$; $(0, \infty)$ 2) **C**
 A) Absolute maximum: 4; no absolute minimum
 B) No absolute maximum; absolute minimum = -104
 C) Absolute maximum: 4; absolute minimum = -104
 D) No absolute extrema

Find the absolute maximum and absolute minimum values of the function, if they exist, over the indicated interval, and indicate the x-values at which they occur.

- 3) $f(x) = \frac{x^2}{x^2 + 1}$; $[-3, 2]$ 3) **A**



- A) Absolute maximum = 0.9 at $x = -3$; absolute minimum = 0 at $x = 0$
 B) Absolute maximum = 2 at $x = -3$; absolute minimum = -3 at $x = 2$
 C) Absolute maximum = 0.8 at $x = -3$; absolute minimum = 0 at $x = 0$
 D) Absolute maximum = 0.9 at $x = 2$; absolute minimum = -3 at $x = 0$

Solve the problem.

- 4) The percent of concentration of a certain drug in the bloodstream x hr after the drug is administered is given by $K(x) = \frac{5x}{x^2 + 9}$. How long after the drug has been administered is the concentration a maximum? Round answer to the nearest tenth, if necessary. 4) **C**
 A) 0.9 hr B) 0.5 hr C) 3 hr D) 5 hr

Determine where the given function is concave up and where it is concave down.

5) $f(x) = \frac{8x}{x^2 + 36}$

5) **D**

- A) Concave down on $(-\infty, -\sqrt{108})$ and $(\sqrt{108}, \infty)$, concave up on $(-\sqrt{108}, \sqrt{108})$.
- B) Concave down on $(-\infty, 0)$, concave up on $(0, \infty)$
- C) Concave up on $(-\infty, -\sqrt{108})$ and $(0, \sqrt{108})$, concave down on $(-\sqrt{108}, 0)$ and $(\sqrt{108}, \infty)$.
- D) Concave down on $(-\infty, -\sqrt{108})$ and $(0, \sqrt{108})$, concave up on $(-\sqrt{108}, 0)$ and $(\sqrt{108}, \infty)$.**

Provide an appropriate response.

- 6) Compare the behavior of the second derivative of a function around a point of inflection with its behavior around a maximum or minimum.
- A) The second derivative maintains the same sign as x is followed from one side of a maximum or minimum to the other, but the second derivative changes sign as x is followed from one side of a point of inflection to the other.
 - B) The second derivative maintains the same sign as x is followed from one side of a maximum, minimum, or point of inflection to the other.
 - C) The second derivative changes sign as x is followed from one side of a maximum, minimum, or point of inflection to the other.**
 - D) The second derivative changes sign as x is followed from one side of a maximum or minimum to the other, but the second derivative maintains the same sign as x is followed from one side of a point of inflection to the other.

6) **C**

Solve the problem.

- 7) An outdoor sports company sells 768 kayaks per year. It costs \$12 to store one kayak for a year. Each reorder costs \$8, plus an additional \$7 for each kayak ordered. In what lot size should the store order kayaks in order to minimize inventory costs?
- A) 32** B) 42 C) 37 D) 36

7) **A**

- 8) The diameter of a circle is given by the formula $D = \frac{C}{\pi}$, where C is the circumference. The diameter of a tree was 10 in. During the following year, the circumference increased by 2 in. Use $D'(C)$ to estimate how much the tree's diameter increased in that year.
- A) $\frac{10}{\pi}$ in. **B) $\frac{\pi}{2}$ in.** C) $\frac{12}{\pi}$ in. D) $\frac{2}{\pi}$ in.

8) **B**

Find the relative extrema of the function and classify each as a maximum or minimum.

- 9) $f(x) = 3 - x^2$
- A) Relative maximum: (0, 3)**
 - B) Relative minima: $(-\sqrt{3}, 0)$, $(\sqrt{3}, 0)$
 - C) Relative maximum: $(3, \sqrt{3})$
 - D) Relative minimum: (0, 3)

9) **A**

Solve the problem.

- 10) The profit, in dollars, from the sale of x compact disc players is $P(x) = x^3 - 4x^2 + 10x + 9$. Find the marginal profit when $x = 10$.
- A) \$699 **B) \$230** C) \$690 D) \$239

10) **B**

Determine where the given function is concave up and where it is concave down.

11) $f(x) = 9x - x^3$

- A) Concave up on $(-\infty, 0)$ and $(1, \infty)$, concave down on $(0, 1)$
- B) Concave down for all t
- C) Concave up on $(0, \infty)$, concave down on $(-\infty, 0)$**
- D) Concave up on $(-\infty, 0)$, concave down on $(0, \infty)$

11) **C**

Find dy for the given values of x and dx .

12) $y = 2x^5 - 3x^2 + x - 1$; $x = -1$, $dx = \frac{1}{3}$

- A) $\frac{22}{3}$
- B) $\frac{19}{3}$
- C) $\frac{25}{3}$
- D) $\frac{17}{3}$**

12) **D**

Find the limit, if it exists.

13) $\lim_{x \rightarrow \infty} \frac{5 - 3x^2}{12 - 5x}$

- A) $\frac{5}{12}$
- B) $\frac{3}{5}$
- C) $-\infty$**
- D) ∞

13) **C**

Solve the problem.

14) An appliance company determines that in order to sell x dishwashers, the price per dishwasher must be

$$p = 720 - 0.3x.$$

It also determines that the total cost of producing x dishwashers is given by

$$C(x) = 4000 + 0.7x^2.$$

What price must be charged per dishwasher in order to maximize profit?

- A) \$632
- B) \$612
- C) \$1224
- D) \$652

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