

# Chapter 6

## A Review of Arithmetic

# Lesson 6.1

# Objective

- Demonstrate proficiency performing mathematic problems that involve the addition, subtraction, multiplication, and division of fractions.

# Common Fractions

- Numerator is the number above the line
- Denominator is the number below the line
- The larger the denominator number, the smaller the portion is
- $1/8$  of a pie is smaller than  $1/2$  of a pie

# Types of Common Fractions

- Proper: numerator smaller than denominator
  - $1/2$ ,  $2/3$
- Improper: numerator larger than denominator
  - $2/1$ ,  $3/2$
- Mixed: a whole number and a fraction
  - $2 \frac{1}{2}$ ,  $3 \frac{2}{3}$
- Equivalent: fractions that have the same value
  - $1/3$  and  $2/6$

# Audience Response Question 1

- Which is the largest fraction?
  - A.  $1/150$
  - B.  $3/7$
  - C.  $12/25$
  - D.  $75/199$

# Working with Fractions

- Reduce the fraction to the lowest terms
  - Use a common number found in both the numerator and denominator. Divide the numerator and the denominator by the number that will divide into both evenly

$$\frac{\underline{25}}{125} \div \frac{\underline{25}}{25} = \frac{\underline{1}}{5}$$

# Finding the Lowest Common Denominator

- If both numerator and denominator are even numbers, 2 may be a common denominator
- If the numerator and denominator end with 0 or 5, 5 may be a common denominator
- If the numerator divides evenly into the denominator, this will be the smallest term

# Adding Common Fractions

- If the denominators are the same, add the numerators and reduce

$$\frac{1}{4} + \frac{2}{4} + \frac{3}{4} = \frac{\underline{1 + 2 + 3}}{4} \text{ or } 6 = 1 \frac{2}{4} = 1 \frac{1}{2}$$

# Adding Common Fractions (cont.)

- When denominators are not alike, change the fractions to equivalent fractions by finding the lowest common denominator

$$\frac{2}{5} + \frac{3}{10} + \frac{1}{2} = \frac{4}{10} + \frac{3}{10} + \frac{5}{10} = \frac{12}{10} = 1 \frac{2}{10} = 1 \frac{1}{5}$$

# Adding Mixed Numbers

- Add the fractions first; then add the whole numbers  $2 \frac{3}{4} + 2 \frac{1}{2} + 3 \frac{3}{8}$

$$\underline{3} = \underline{6} \quad \underline{1} = \underline{4} \quad \underline{3} = \underline{3}$$

$$4 \quad 8 \quad 2 \quad 8 \quad 8 \quad 8$$

$$\underline{6 + 4 + 3} = \underline{13} = 1 \frac{5}{8}$$

$$8 \quad 8$$

Now add whole numbers  $2 + 1 + 3 = 7$

$$\text{Join } 7 + 1 \frac{5}{8} = 8 \frac{5}{8}$$

# Audience Response Question 2

- A nurse spends  $\frac{1}{2}$  hour midway through the shift documenting care provided, and another  $\frac{3}{4}$  of an hour documenting care later in the shift. How much total time does the nurse spend documenting?
  - $\frac{1}{2} + \frac{3}{4} = ?$

# Subtracting Fractions

- If the denominators are different, change the fractions into equivalent fractions

$$\frac{\underline{1}}{4} - \frac{\underline{3}}{16} = \frac{\underline{4}}{16} - \frac{\underline{3}}{16} = \frac{\underline{1}}{16}$$

# Subtracting Fractions (cont.)

- If the denominators are different, change the fractions to equivalent fractions  $2 \frac{5}{8} - 1 \frac{1}{4}$

$$\frac{1}{4} = \frac{2}{8} \quad \text{subtract fractions first} \quad \frac{5}{8} - \frac{2}{8} = \frac{3}{8}$$

$$2 - 1 = 1, \text{ join with } \frac{3}{8} = 1 \frac{3}{8}$$

# Multiplying Two Fractions

- Multiply the numerators, multiply the denominators  $\frac{1}{2} \times \frac{1}{3} = \frac{1}{6}$

# Multiplying Mixed Numbers

- Change the mixed numbers to an improper fraction

$$3 \frac{\underline{1}}{2} \times 2 \frac{\underline{1}}{5} = \frac{\underline{7}}{2} \times \frac{\underline{11}}{5} = \frac{\underline{77}}{10} = 7 \frac{7}{10}$$

# Dividing Fractions

- Change the division sign to a multiplication sign
- Invert (turn upside down) the number after the division sign
- Multiply the numerators and the denominators

$$4 \div \frac{1}{2} = 4 \times \frac{2}{1} = \frac{8}{1} = 8$$

# Dividing with a Mixed Number

- Change mixed number to an improper fraction
- Change division sign to a multiplication sign
- Invert the number after the division sign
- Multiply the numerator and the denominator

$$4 \frac{1}{2} \div \frac{3}{4} = \frac{9}{2} \div \frac{3}{4} = \frac{9}{2} \times \frac{4}{3} = \frac{36}{6} = \frac{6}{1} = 6$$

# Objectives

- Demonstrate proficiency performing mathematic problems that involve the addition, subtraction, multiplication, and division of decimals.
- Convert decimals to fractions and fractions to decimals.

# Decimal Places

- Numbers to the left of the decimal point are whole numbers
- Numbers to the right of the decimal point are fractions (parts) of the whole number
- $0.1 = \text{one tenth} = \frac{1}{10}$
- $0.01 = \text{one hundredth} = \frac{1}{100}$
- ( $\frac{1}{10}$  or  $0.1$  is larger)

# Decimal Safety

- A zero written after the decimal ends may not be recognized and very large doses could be administered
- 1.000 g could be confused with 1000 g
- Instead write 1 g
- “No trailing zeroes to the right of decimal points”
- Place a 0 in front of the decimal point if there is no other whole number involved

# Changing Decimals to Common Fractions

- Remove the decimal point
- Place the appropriate denominator under the number
- Reduce to lowest terms
- $0.2 = 2/10 = 1/5$
- (ten is used as the denominator since the decimal is described using the term “tenth”)
- $0.25 = 25/100 = 1/4$

# Changing Common Fractions to Decimals

- Divide the numerator of the fraction by the denominator
- $1/4$  means  $1 \div 4 = 0.25$
- $2/3$  means  $2 \div 3 = 0.67$

# Lesson 6.2

# Objective

- Convert percents to fractions, percents to decimals, decimal fractions to percents, and common fractions to percents.

# Percents

- *Percent* means per 100
- Changing percents to fractions
  - $25\% = 25/100 = 1/4$
- Changing percents to decimal fractions
  - $5\% = 0.05$        $24\% = 0.24$

# Objective

- Demonstrate proficiency with converting ratios to percentages and percentages to ratios, with simplifying ratios, and with the use of the proportion method for solving problems.

# Ratios

- A ratio is the relationship one quantity bears to another
- Changing ratio to percent
  - $6:1 = 6/1 \times 100 = 600\%$
- Changing percent to ratio
  - Simplifying ratios
  - $25:100 = 1:4$  or  $25/100 = 1/4$

# Proportion

- Proportion shows how two equal ratios are related
- $1 : 2 = 2 : x$
- Multiply the two means (inner numbers) together. That equals the product of the extremes
- $x = 4$

# Objectives

- Memorize the basic equivalents of the household and metric systems.
- Demonstrate proficiency performing conversion-of-medication problems with the use of the household and metric systems.

# Household Measurements

- Least accurate system of measurement
- 1 cup = 8 ounces
- 1 tablespoon = 3 teaspoons
- 1 teaspoon = approximately 5 mL

# Metric System Length

- Meter is standard unit of measure for length
- 1 meter is about the same length as a yard
- 1 centimeter is  $1/100$  of a meter
  - The cervix dilates 10 centimeters for delivery
- 1 inch is approximately 2.54 centimeters
- 1 millimeter is  $1/1000$  of a meter
- 1000 mm = 1 meter

# Metric System Volume

- Liter is standard unit of measure for volume
- A liter is approximately a quart
- 1 milliliter is 1/1000 of a liter
- 1000 mL = 1 liter
  - Most IV fluids are available in 1 liter bags
  - A common volume for an injection is 1 mL

# Metric System Weight

- Gram is standard unit of measure for weight
- A gram weighs approximately the same as a paper clip or a pea
- Many medications measured in milligrams
- 1 microgram =  $1/1,000,000$  gram
- 1 milligram is  $1/1000$  gram
- 1000 mg = 1 gram
- 1 kg = 2.2 pounds (You'll like your weight better in kg!)

# Example

- A patient is to receive 1 g of ampicillin. The bottle states that each tablet contains 0.5 g.

# Converting Pounds and Kilograms

- To convert weight in kilograms to pounds, multiply pound weight by 2.2
  - $25 \text{ kg} \times 2.2 = 55 \text{ lbs}$
- To convert weight in pounds to kilograms, divide pound weight by 2.2
  - $140 \text{ lbs} \div 2.2 = 63.6 \text{ kg}$

# Calculating Dose Ranges for mg/kg/day

- Confirms that prescribed medication dose is within acceptable dosage range.

# Other Units of Measure

- Units: standardized quantity of measurements, frequently used for insulin, heparin, and penicillin
- Milliequivalents usually measure potassium
- Best to have a second health care provider independently confirm correct dose measurements with heparin, insulin, and potassium

# Audience Response Question 3

- A patient with diabetes is scheduled to receive 15 units of Regular insulin in the morning before breakfast. The patient is also covered by a sliding scale (below) for insulin she will receive in addition to the scheduled dose if blood glucose levels are elevated. The patient has a blood glucose level of 224 this morning. How many units of insulin should be administered this morning?
    - Glucose 151 to 200    Give 3 units Regular
    - Glucose 201 to 250    Give 6 units Regular
    - Glucose 251 to 300    Give 9 units Regular
    - Glucose 301 to 350    Give 12 units Regular
- A. 15 units
- B. 18 units
- C. 21 units
- D. 27 units

# Objective

- Use formulas to calculate intravenous fluid and medicine administration rates.

# IV Fluids

- Health care provider prescribes a specific type and volume of solution to be infused over a specific time span
- Administration sets can be calibrated to deliver a specific amount of solution
- Macrodrip sets: 10, 15 and 20 drops per mL
- Microdrip sets: 60 (small) drops per mL
  - Drops per mL is the drop factor

# Calculating Flow Rate mL/hour

- Divide the total volume of fluid by the total number of hours the infusion is to run

$$\frac{\text{Number of mL}}{\text{Number of hours}} = \text{mL/hr}$$

# Calculating Rates of Infusion for Other than 1 Hour

- Use dimensional analysis to allow conversion from one unit to another. Start with what's available, then proceed to what is ordered and determine what will be calculated
    - 50 mL to infuse at 20 min = \_\_\_\_ mL/hr
- 50 mL/20 min = 2.5 mL
- Multiply by 60 min/hour = 150 mL/hr

# Audience Response Question 4

- An IV of 100 mL D<sub>5</sub>W is to run over 30 minutes. At what rate does the nurse set the infusion pump?
  - A. 100 mL/hr
  - B. 50 mL/hr
  - C. 200 mL/hr
  - D. 50 gtt/min

# Drops per Minute (gtt/min)

- Formula to determine the drops per minute

$$\frac{\text{Total volume to infuse} \times \text{drop factor}}{\text{Time in minutes}} = \text{gtt/min}$$

# Objective

- Demonstrate proficiency performing conversions between the centigrade and Fahrenheit systems of temperature measurement.

# Fahrenheit and Centigrade (Celsius) Temperatures

- Formula for converting Fahrenheit to centigrade temperature
  - $(\text{Fahrenheit} - 32) \times 5/9 = \text{centigrade}$
- Formula for converting centigrade temperature to Fahrenheit temperature
  - $(\text{centigrade} \times 9/5) + 32 = \text{Fahrenheit}$

# Audience Response Question 5

- The nurse measures a patient's tympanic temperature to be  $38.7^{\circ}$  C. The patient then asks what the temperature is in Fahrenheit. How does the nurse respond?
  - A.  $99.6^{\circ}$  F
  - B.  $102.3^{\circ}$  F
  - C.  $101.7^{\circ}$  F
  - D.  $100.7^{\circ}$  F